

# Fitting the seasonal cycle with adJULES

JULES meeting, Leicester

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July 1, 2014

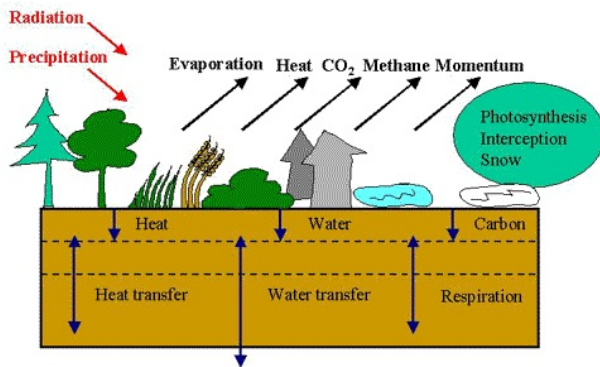


# Outline

- 1 Introduction
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- 3 Example
- 4 Summary

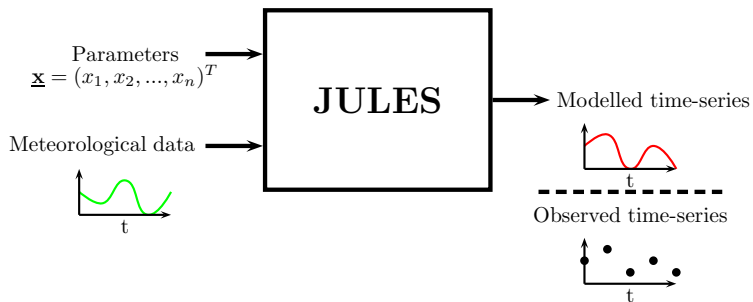
# JULES - Joint UK Land Environment Simulator

Models the land surface.



10,000 lines of Fortran.

# JULES - a land surface model

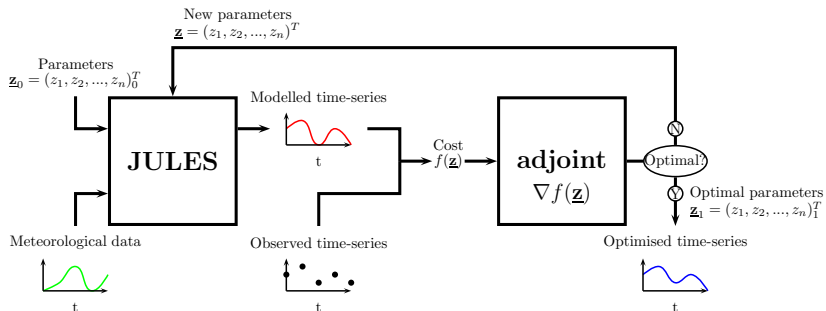


# Get a better fit - adjust the parameters!



Figure : JULES has  $O(100)$  parameters.

# adJULES - the adjoint of JULES



# Changes to modelled time series

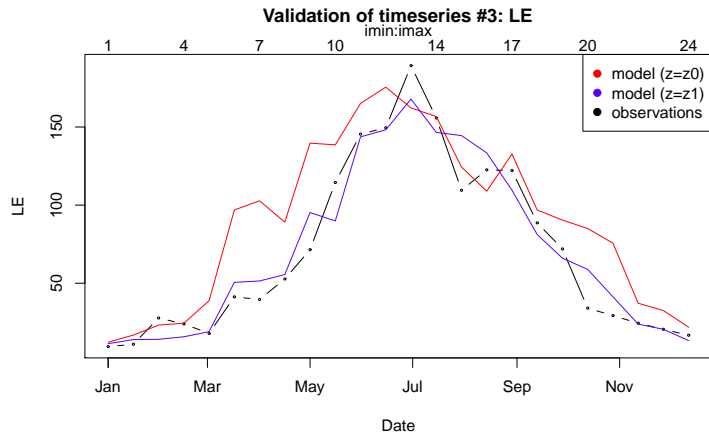


Figure : Time series of latent heat flux at Harvard Forest



# Changes to modelled time series error

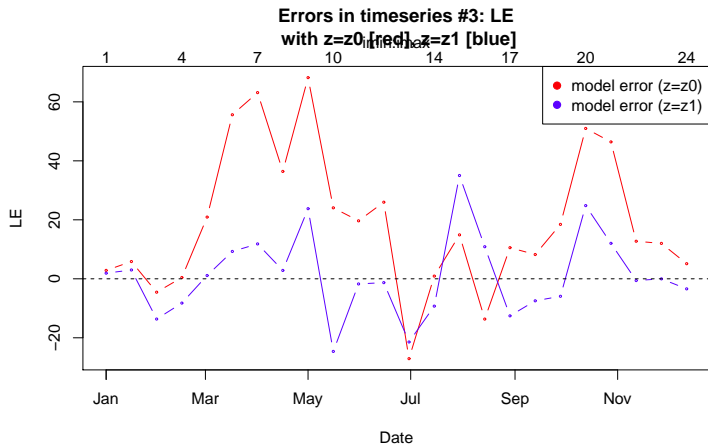


Figure : Errors in time series of latent heat flux at Harvard Forest



# Changes to modelled time series

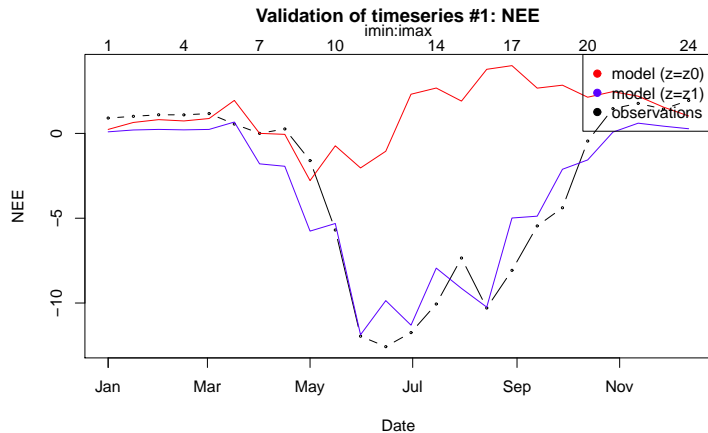


Figure : Time series of carbon flux at Harvard Forest.

# Changes to modelled time series error

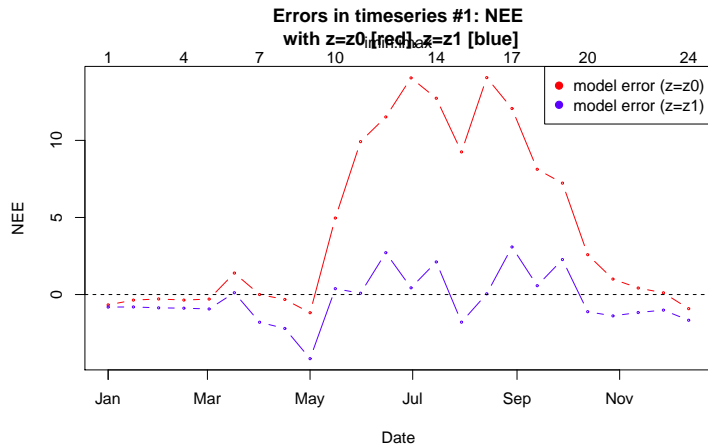


Figure : Errors in time series of carbon flux at Harvard Forest



# Slice through cost function

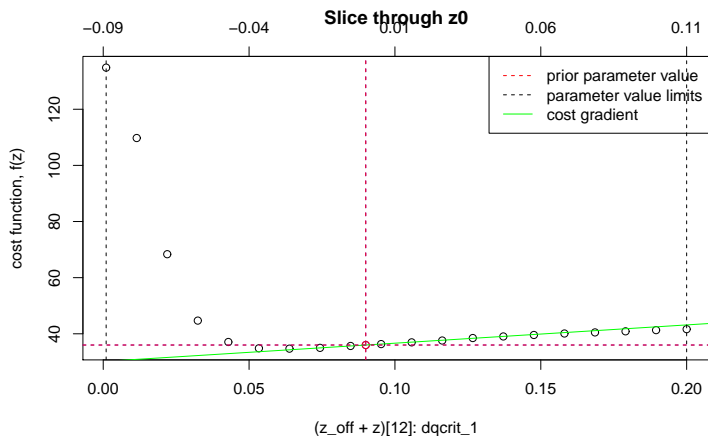


Figure : Initial cost function value against  $dqcrit$ .

# Slice through cost function

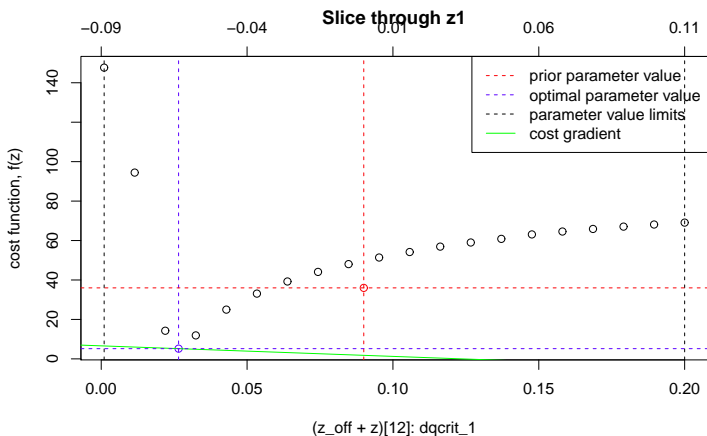


Figure : Optimised cost function value against  $dqcrit_1$



# Use of 2nd derivative

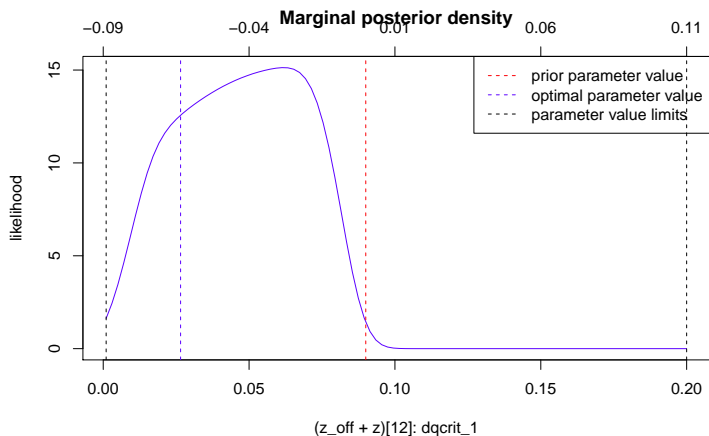


Figure : Posterior marginal density.

# Covariance between parameters

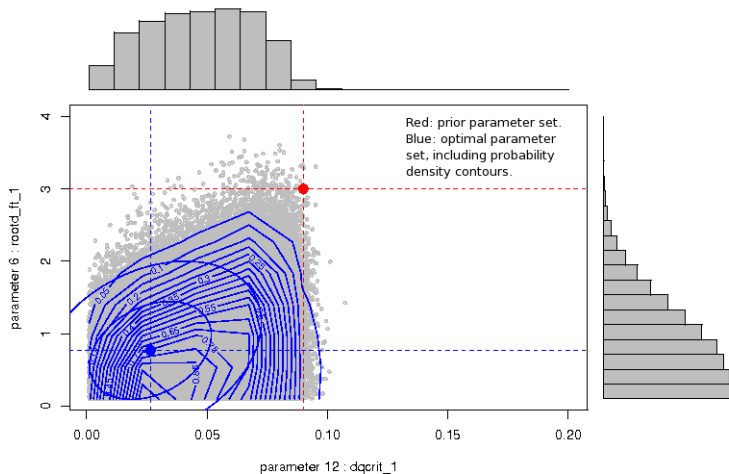


Figure : Posterior bivariate density.

# Review

JULES has been differentiated line by line using commercial software from FastOpt. For a given parameter vector  $\mathbf{x}$ , adJULES can:

- Find the cost function  $f(\mathbf{x})$  (mean-square misfit to data).
- Find the analytical derivative of the cost function  $\nabla f(\mathbf{x})$ .
- Use R optimisation routines to search parameter space using derivative information from  $\nabla f(\mathbf{x})$  to minimise  $f(\mathbf{x})$ .
- Return a (locally) optimum parameter set that minimises  $f(\mathbf{x})$ .
- The 2nd derivative of  $f(\mathbf{x})$  can be used to produce (multivariate) posterior densities for parameters.
- The use of satellite data in conjunction with adJULES could improve many parameter estimates.

# Latest results: Multisite Optimisation

Site name	Parameter						
	$n_l(0)$	$\alpha$	$F_0$	$T_{low}$	$T_{upp}$	rootd_ft	$DQ_{crit}$
Harvard Forest	0.119	0.622	0.591	16.8	45.0	1.76	0.023
Morgan Monroe	0.0604	0.465	0.5	14.3	38.2	3.37	0.039
Multi (HF&MM)	0.13	0.372	0.739	21.4	29.1	2.54	0.0344

Table 1: Optimal parameter values for each site, to three significant figures. Parameters that reach their upper bound are denoted  $^+$ ; parameters that reach their lower bound are denoted  $^-$ .

**Figure** : Multisite optimisation. Coloured in red are all the parameters with the 80% interval fraction strictly less than 0.3, in orange are the parameters between 0.3 and 0.7 and the ones in black are above 0.7.



# Latest results: Multisite Optimisation

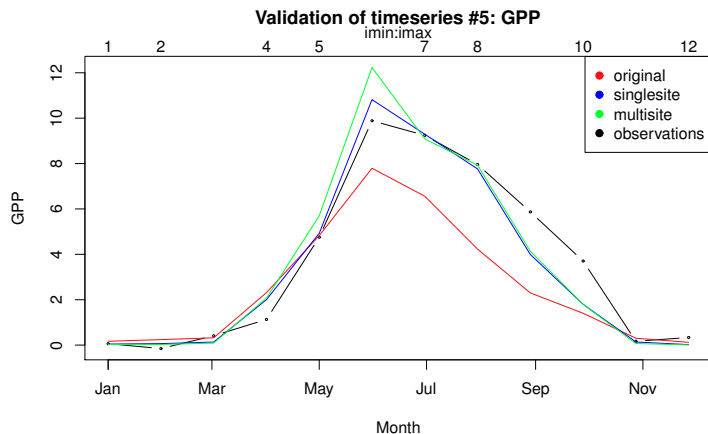


Figure : Results at Morgan Monroe (multisite fit included Harvard Forest)

# Latest results: Multisite Optimisation

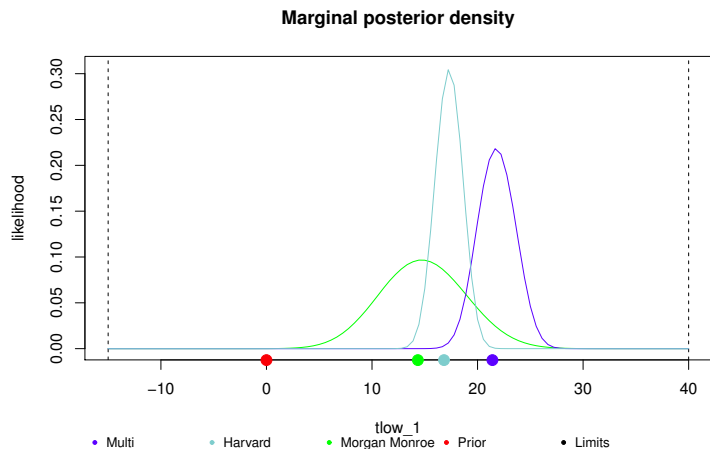


Figure : Multisite parameter fit.

# Questions and comments

# Thank you

## Contacts

If you would like more information, on the adJULES system please contact:

- Tim Jupp, [T.E.Jupp@ex.ac.uk](mailto:T.E.Jupp@ex.ac.uk)

The code can be downloaded from

- [www.adjules.ex.ac.uk](http://www.adjules.ex.ac.uk)